

## IV.14.6 Function theory 1

<b>module designation</b>	<b>Function Theory 1</b>
abbreviation	<b>B-FT1</b>
course	<i>function theory 1</i>
Module manager	<i>Prof. Dr. Wolfgang Lauf, Prof. Dr. Martin Pohl</i>
lecturer	<i>Prof. Dr. Wolfgang Lauf, Prof. Dr. Martin Pohl</i>
Assignment to the Curriculum B.Sc. :	<i>Conscription, 6. o. 7. Sem.</i>
Lehrform / SWS	<i>Seminar-based instruction, exercises / 4 SWS</i>
workload in hours	<i>Attendance study: 60 h, Self-study: 90 h</i>
credit points	<i>5 ECTS</i>
recommended requirements	<i>B-AN1,2,3: Analysis 1,2,3; B-MS: Mathematical Software</i>
Learning goals: Professional competence	<p><i>After successfully completing the module, students are able to</i></p> <ul style="list-style-type: none"> <li>• <i>calculate confidently and skilfully with complex numbers in all forms of representation (2),</i></li> <li>• <i>Thoroughly distinguish holomorphism from real differentiation (2),</i></li> <li>• <i>safely use Cauchy's integral theorems to calculate complex and real integrals (3),</i></li> <li>• <i>the geometric and value behavior of holomorphs describe and assess illustrations (3),</i></li> <li>• <i>use the interplay of geometric and analytical approaches to solve problems in complex analysis (3).</i></li> </ul>
Learning goals: personal competence	<i>See preliminary remarks of this module handbook</i>
contents	<ul style="list-style-type: none"> <li>• <i>Arithmetic and geometric properties of complex numbers</i></li> <li>• <i>Stereographic projection</i></li> <li>• <i>Complex differentiability, holomorphy, Cauchy-Riemann differential equations</i></li> <li>• <i>Harmonic functions</i></li> <li>• <i>Conformity of holomorphic functions</i></li> <li>• <i>Value behavior of elementary holomorphic functions</i></li> <li>• <i>Complex curve integrals</i></li> <li>• <i>Cauchyscher Integralsatz, Integralformel</i></li> <li>• <i>Fundamental properties of holomorphic functions (including Liouville's theorem, fundamental algebra theorem, maximum principle, mean value property)</i></li> </ul>
Study/examination achievements	<i>Written examination (90-120 min.) or oral exam (15-45 min.) Note weight: 4</i>
media forms	<i>Blackboard, projector, mathematical software</i>

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literature	<ul style="list-style-type: none"><li>• <i>Burg, K., et.al.: Function theory</i></li><li>• <i>Busam, R., Freitag, E.: Function Theory 1</i></li><li>• <i>Conway, J.: Functions of One Complex Variable I</i></li><li>• <i>Fischer, W., Lieb, I.: Introduction to complex analysis</i></li><li>• <i>Forst, W., Hoffmann, D.:</i> <i>Exploring function theory with Maple</i></li><li>• <i>Fritzsche, K.: Basic course on function theory</i></li><li>• <i>Marsden, J., Hoffman, M.: Basic Complex Analysis</i></li><li>• <i>Mathews, J., Howell, R.:</i> <i>Complex Analysis for Mathematics and Engineering</i></li><li>• <i>Remmert, R., Schuhmacher, G.: Function theory 1</i></li><li>• <i>Saff, E.B., Snider, A.D.: Complex Analysis</i></li><li>• <i>Weyl, H.: Introduction to the theory of functions</i></li><li>• <i>Desire, AD: Complex Variables</i></li><li>• <i>Zill, D., Shanahan, P.: A</i> <i>First Course in Complex Analysis with Applications</i></li></ul>
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